

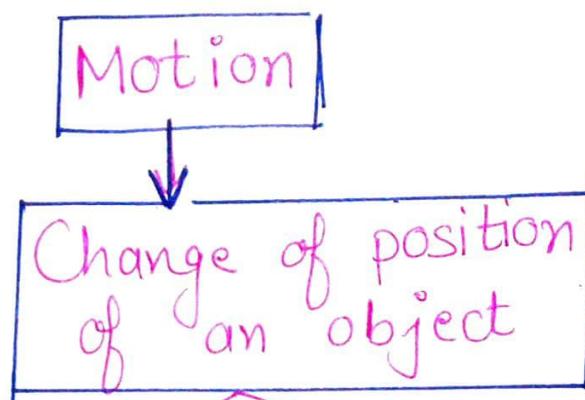
# Class Physics Motion

IX

## Lecture 1

### Fundamentals of Motion

\* Motion & Rest are relative concepts }



Distance

↓  
total path covered

distance b/w  
A - D

$$AB + BC + CD + DA \\ 5 + 3 + 3 + 4 \\ = 15 \text{ units}$$

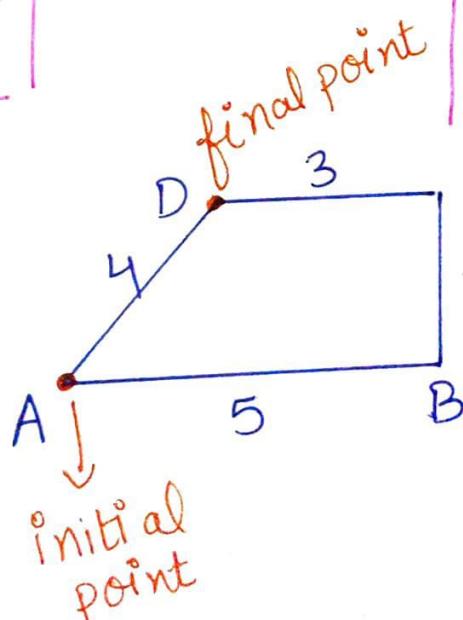
(It can be positive only)

Displacement

shortest distance between two points

c Displacement between A - D  
 $AD = 4 \text{ units}$

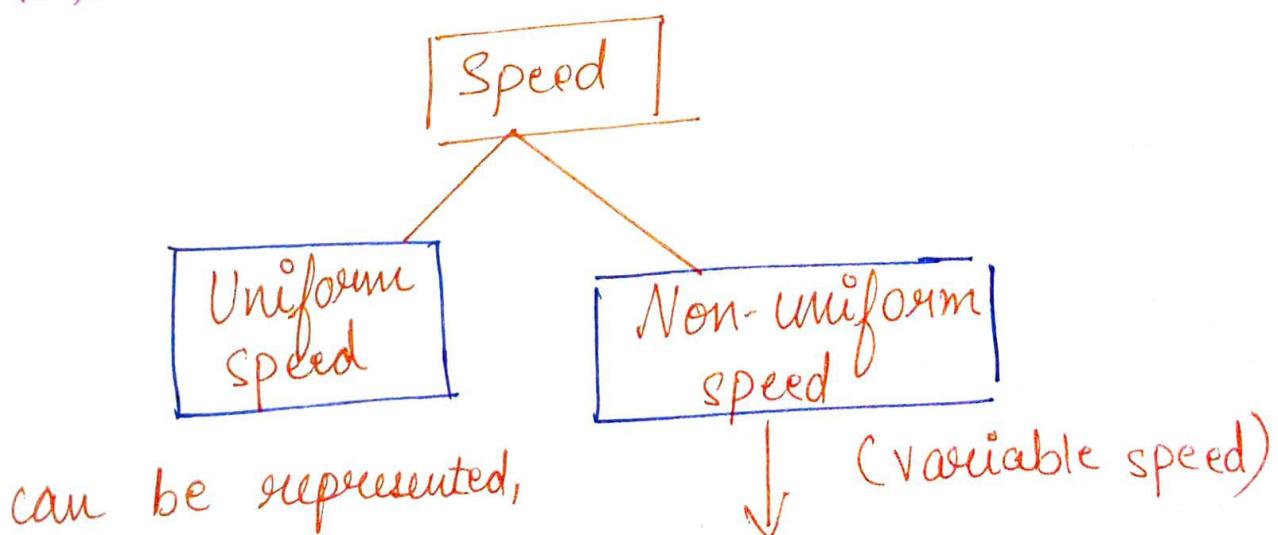
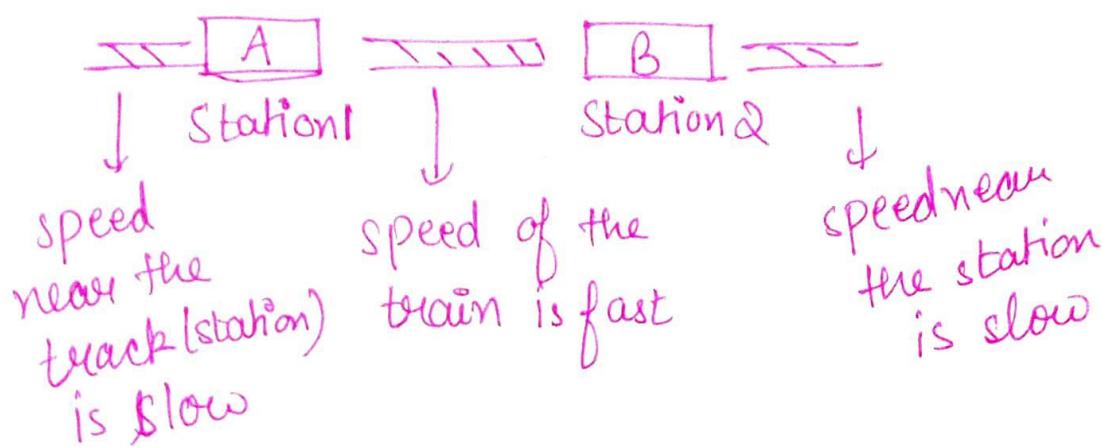
(It could be zero, negative (direction) and positive)



Uniform Motion - When an object travels equal distances in equal intervals of time, however small the interval may be, — the motion is said to be uniform

\* When an object travels unequal distances in equal intervals of time, however small the interval may be, the motion is said to be non-uniform.

examples  $\Rightarrow$  A train starting from one station and stopping at the other has non-uniform motion.

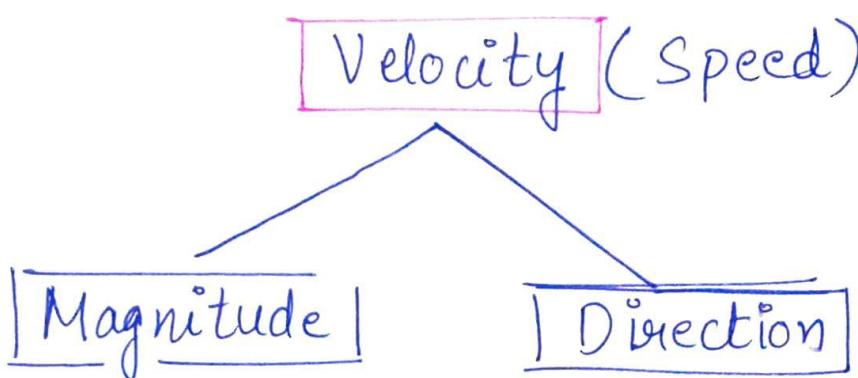


as 
$$V = \frac{S}{T}$$

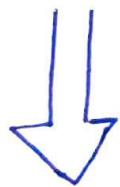
Average speed = 
$$\frac{\text{total distance}}{\text{total time taken}}$$

SI unit is ~~metre~~ (m/s)

metre/second

Equations of Motion & Acceleration

- \* Velocity will change with the change in one of these factors or both
- \* we calculate average velocity, when velocity is changing at a uniform rate over a period of time.



Change of rate of velocity  $\rightarrow$  Acceleration

- \* Unit of time, occurs in the unit of acceleration twice

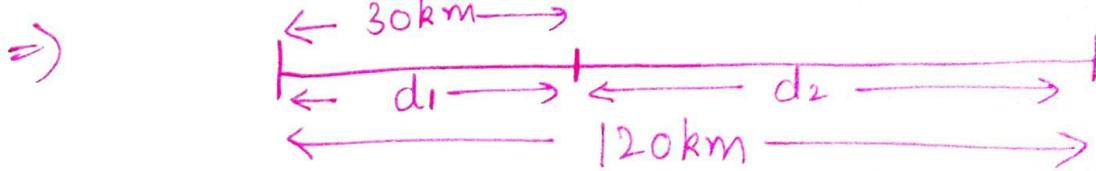
$$a = \frac{\text{change in velocity}}{\text{time}} = \frac{v-u}{t}$$

$$a = \frac{\text{metre/sec}}{\text{sec}} \Rightarrow \text{m/sec}^2$$

- \* Acceleration, as same as velocity is a vector quantity

- \* Negative acceleration is called as retardation
- \* Negative sign in the answer shows the direction (direction opp. to the direction of motion)

Q On a 120 km track, a train travels the first 30 km at a uniform speed of 30 km/hr. How fast must the train travel the next 90 km so as to average 60 km/h for the entire trip?



$$v_1 = \text{speed of first } 30 \text{ km} = 30 \text{ km/hr} (1 \text{ km/hr})$$

$$d_1 = 30 \text{ km}, \quad d_2 = 120 - 30 = 90 \text{ km}$$

$$v_2 = ? ; \quad \text{Avg. speed} = \frac{\text{total distance}}{\text{total time}}$$

$$\text{total time} = \frac{\text{total dis.}}{\text{avg. speed}}$$

$$t = \frac{120}{60} = \boxed{2 \text{ hr}}$$

$$\text{time req. to cover } d_1 (30 \text{ km}) = \frac{30}{30} = \boxed{1 \text{ hr}}$$

$$\text{time to cover } d_2 (90 \text{ km}) = \frac{90}{v_2}$$

$$1 = \frac{90}{v_2} \Rightarrow v_2 = \frac{90}{1} = \boxed{90 \text{ km/hr}}$$

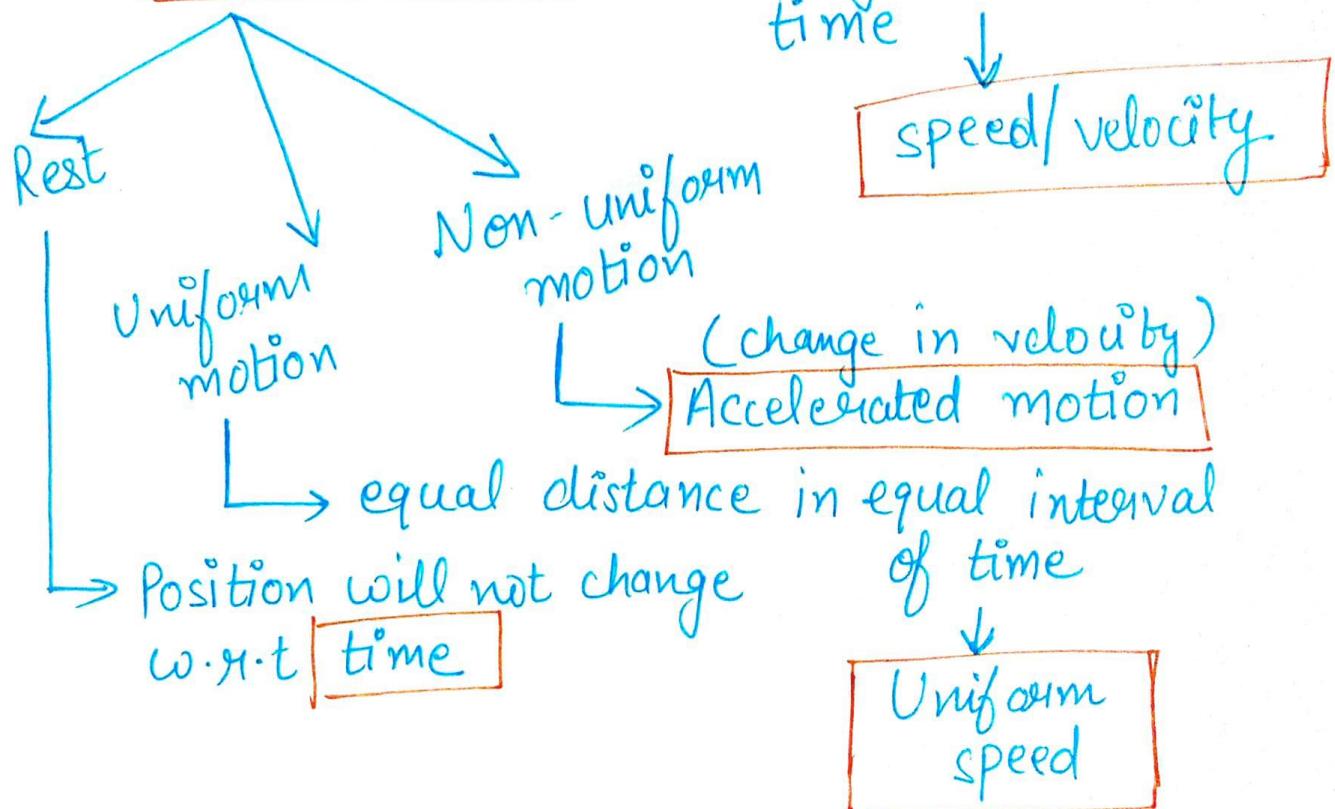
# Motion

# Lecture 3

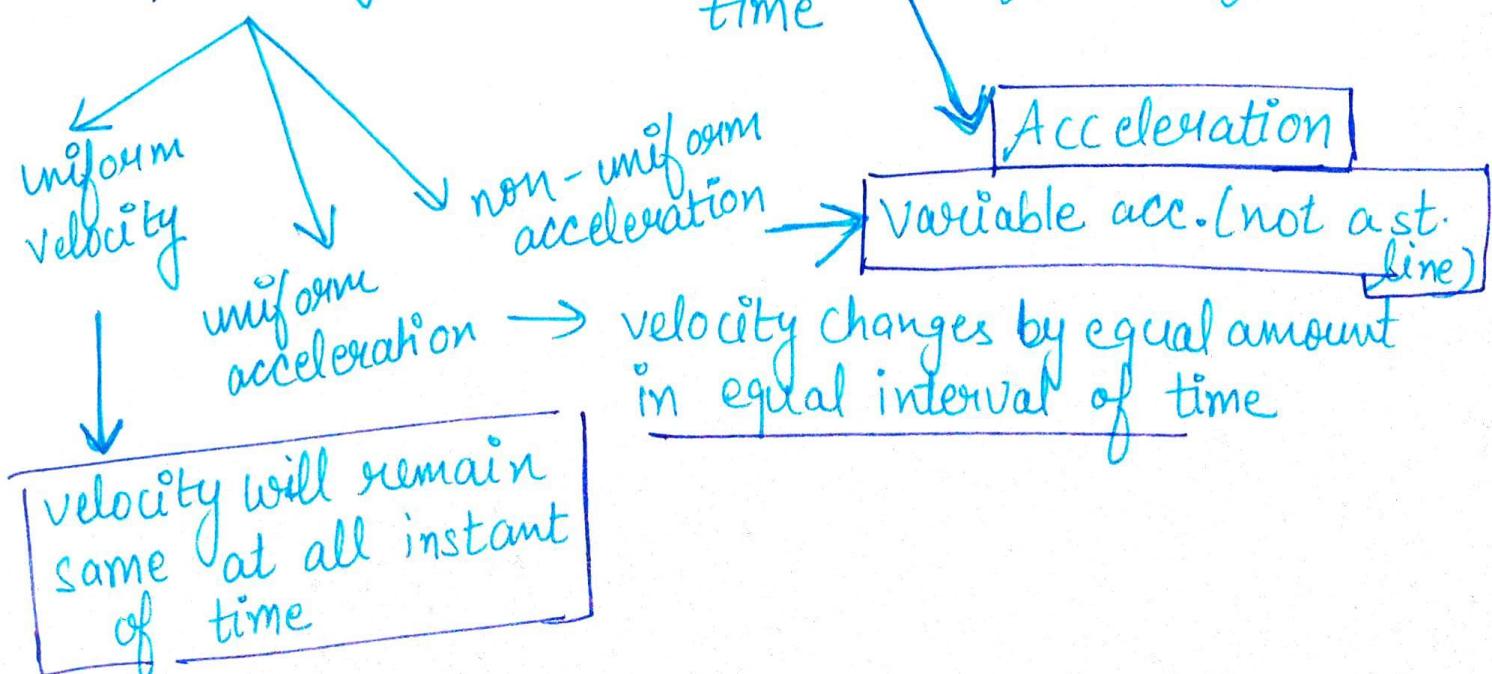
## Equations of Motion

### Graphical Representation

① **Distance - time** → change in position with time

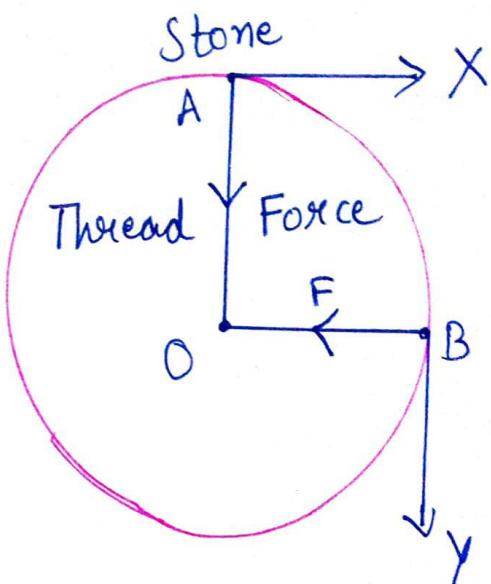


② **Velocity - time** → variation of velocity with time



# Uniform Circular Motion

If the thread breaks at A, the stone would fly along AX (tangent)



If the thread breaks at B, the stone would fly along BY

The direction of motion at any instant of time is along the tangent to the circular path at that instant

Distance travelled by the body in one complete revolution = Circumference of the circle

$$S = 2\pi r$$

$$V = \frac{2\pi r}{t}$$